



Non inverted isothermal equation of state for NaCl-CsCl type crystals

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ABSTRACT

The Pressure-Volume-temperature (P-V-T) relation using non inverted equation of state (EOS) viz. Murnaghan EOS, Usual-Tait EOS, Vinet EOS, Born-Mayer EOS, Birch EOS, Kumar EOS, Shanker EOS, Brennan Stacey EOS, Poirier- Tarantola EOS, Universal EOS and Freund & Ingalls EOS for NaCl-CsCl type crystals has been studied. It is found that except Murnaghan EOS, Brennan-Stacey EOS and Poirier Tarantola EOS all other EOS gives close agreement with each other even at high compression ranges. Also another remarkable characteristic observed when the value of compression decreases from 0.5 the variation in value of pressure as calculated by different EOS increases.

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Introduction

The exploration of matter at extreme conditions is a central theme in a broad range of scientific disciplines (e.g. material science chemistry, physics, and Earth and planetary science). The application of pressure can induces both continuous and discontinuous changes in atomic and electronic structure. Learning how atomic and electronic arrangements change under extreme conditions, provide insight into the nature of phase transformations, chemical reaction, and also evolution in micro- and nanostructural components, such as crystallite size, dislocations, voids, and grain boundaries. Once these processes are understood, it will be possible to predict responses of materials under thermo-mechanical extremes using advanced computational tools. Further, this fundamental knowledge will open new avenues for designing and synthesizing materials with unique properties. Using these thermo-mechanical extremes will allow tuning the atomic structure and the very nature of chemical bonds to produce revolutionary new materials.

The compressibility of the alkali metals is very large, and the large volume reduction with application of pressure affects significantly the otherwise free-electron like electronic structure. As a consequence, these metals undergo several pressure-induced structural transformations. These have been studied experimentally as well as by theoretical methods [1-9] and references therein).

The equation of state (EOS) of a solid (pressure-volume relation) plays an important role in condensed matter physics, because the knowledge of the EOS is of central importance for the general understanding of the behaviour and the application of condensed matter [10]. The EOS of crystalline solids has been a long-standing topic and extensively investigated. A lot of interesting and important phenomena have been observed [10]. In the last few decades a set of equations of state for solids which can be successfully applied to the description of thermodynamic properties of minerals in wide range of temperatures and pressures have been developed. In the most known work [11] the Debye approach are used for description of quasi-harmonic part of the Helmholtz free energy and additional contributions to the Helmholtz free energy are taken into

account. However, the Debye approach is true within the limits of low and high temperatures but in the intermediate field it is inter-polar. Oxides and minerals have usually a high Debye temperature (about 500-1000 K), therefore at room temperatures the Debye approximation is not always correct. For very good description of thermodynamic functions of solids from 10 K up to melting temperature it is possible to use the Bose-Einstein approximation [12, 13] which has been successfully used at construction of equation of state for NaCl [14] and some metals [15, 16]. However in the latter case construction of equations of state needs practically full set of experimental measurements (heat capacity, thermal expansion coefficient, adiabatic bulk modulus from ~0 K and up to melting temperature, volume depending on pressure and temperature) which in most cases are absent for minerals. Other approximations which are quite successfully applied to equations of state for solids are also known (see, for example, [17,18,]. With the development of high pressure techniques, pressure is becoming an important processing variable just like that of temperature or chemical composition for condensed phases.

In the present work, compression dependence of pressure for twelve different alkali metal halides viz. LiF, LiCl, LiBr, NaF, NaCl, NaBr, KF, KCl, KBr, RbF, RbCl, and RbBr has been calculated by using different equation of state (EOS) viz. Murnaghan EOS, Usual-Tait EOS, Vinet EOS, Born-Mayer EOS, Birch EOS, Kumar EOS, Shanker EOS, Brennan Stacey EOS, Poirier- Tarantola EOS, Universal EOS and Freund & Ingalls EOS. Also a comparative study has been made among the calculated values of pressure by using different EOS to test applicability.

Formulation of equation of state

An extensive study of the EOS and other thermodynamic properties of solids was first made by Grüneisen [19] who used a simple power law for the potential energy expression. Murnaghan equation of state [20] is based on empirical observation that the isothermal bulk modulus is a linear function of pressure. On the basis of finite strain theory Birch modified and improved the Murnaghan EOS and gave a new EOS known as Birch Eos [21,22] which is widely used in geophysics.

Shanker et.al. [23] obtained three sets of equations each for pressure, isothermal bulk modulus and its pressure derivative corresponding to three functions showing the dependence of short range force constant on volume. The first function is represented by the inverse power form which leads to the EOS given by Born-Mie [24,25]. The second function is represented by an exponential form which leads to the EOS which is identical to that obtained by Brennan and Stacey [26,27], using thermodynamic formulation for the Grüneisen parameter. The third function is represented by a modified exponential form which leads to Shanker EOS [23]. Using relationship between binding energy and interatomic distance, Vinet proposed an EOS known as Vinet EOS [28,29]. By using an exponential function for short range overlap energy, Born-Mayer proposed a new equation of state known as Born-Mayer EOS [30]. A slight modification in Murnaghan EOS gave a new EOS known as Usual-Tait EOS [31,32]. On the basis of Modification in adjustable parameter of non inverted equation of state [33] we get universal equation of state [28,34] and further modifying in adjustable parameter we get another new equation of state known as Freund & Ingalls EOS [31]. By defining a strain in terms of logarithmic function, Poirier and Tarantola [35] derived a new equation of state known as Poirier & Tarantola EOS. An Equation of state can be derived from the volume derivative of lattice potential energy [24, 30] by using the relation

$$P = -\left(\frac{dW}{dV}\right)_T \quad (1)$$

Where W for an ionic crystal can be written as the sum of electrostatic energy and short range overlap repulsive energy

$$W = -\alpha_M \frac{Z^2 e^2}{V^{1/3}} + \Phi(V) \quad (2)$$

Where α_M is molar volume expansion coefficient.

By using an inverse power form for Φ such as (aV^{-n}) , we get an equation by eliminating the parameters 'a' and 'n' in terms of isothermal bulk modulus (K_0) and first derivative of isothermal bulk modulus (K'_0) at zero pressure known as Born-Mie EOS [24] which can be written as

$$P = \frac{3K_0}{3K'_0 - 8} \left[\left(\frac{V}{V_0}\right)^{4/3 - K'_0} - \left(\frac{V}{V_0}\right)^{-4/3} \right] \quad (3)$$

When we use an exponential function for Φ [such as $b \exp \{-K(V/V_0)\}^{1/3}$ and eliminating b and K in terms of K_0 and K'_0 using the relationship for potential parameter [36]] we get Born-Mayer EOS which is

$$P = \frac{3K_0}{(\eta - 2)} \left[\left(\frac{V}{V_0}\right)^{-2/3} \exp \left\{ \eta \left[1 - \left(\frac{V}{V_0}\right)^{1/3} \right] \right\} - \left(\frac{V}{V_0}\right)^{-4/3} \right] \quad (4)$$

$$\text{where } \eta = \frac{3(K'_0 - 1)}{2} + \left[\frac{9(K'_0 - 1)^2}{4} - 6K'_0 + 12 \right]^{1/2}$$

A simple EOS based on assumption according to which the isothermal bulk modulus K_T depends linearly on pressure i.e.

$$K_T = K_0 + K'_0 P$$

Murnaghan gave an equation of state known as Murnaghan EOS [20] which can be expressed as

$$P = \frac{K_0}{K'_0} \left[\left(\frac{V}{V_0}\right)^{-K'_0} - 1 \right] \quad (5)$$

A slight modification in Murnaghan EOS performed by Usual - Tait yields a new EOS known as Usual - Tait EOS [31,32], given by

$$P = \frac{K_0}{(K'_0 + 1)} \left[\left\{ \exp(K'_0 + 1) \left(1 - \frac{V}{V_0} \right) \right\} - 1 \right] \quad (6)$$

Kumar has presented a derivative of the UTE on the basis of Chopelas - Boehler approximation [37,38] and gave an EOS known as Kumar EOS

$$P = \frac{K_0}{K'_0 + 1} \left[\left\{ \exp(K'_0 + 1) \left(1 - \frac{V}{V_0} \right) \right\} - 1 \right] \quad (7)$$

which is same as Usual-Tait EOS

On the basis of finite strain theory [39] in which the expansion of Helmholtz free energy is considered as a polynomial series in terms of Eulerian strain and taking third order approximation Birch obtained an EOS [40] which is as follows

$$P = \frac{3K_0}{2} \left[\left(\frac{V}{V_0}\right)^{-7/3} - \left(\frac{V}{V_0}\right)^{-5/3} \right] \left[1 - \frac{3(4 - K'_0)}{4} \left\{ \left(\frac{V}{V_0}\right)^{-2/3} - 1 \right\} \right] \quad (8)$$

Poirier and Tarantola [35] derived an equation similar to Birch EOS but define strain as

$\epsilon = \log(V/V_0)$ rather than Eulerian strain $f = 1/2[(V/V_0)^{2/3} - 1]$ used by Birch and give an EOS as

$$P = K_0 \left(\frac{V_0}{V} \right) \left[\ln \left(\frac{V_0}{V} \right) + \left\{ \left(\frac{K'_0 - 2}{2} \right) \right\} \left\{ \ln \left(\frac{V_0}{V} \right)^2 \right\} \right] \quad (9)$$

Using the free volume formula [41] for the Grüneisen parameter γ and assuming that the Grüneisen parameter γ is proportional to volume, Brennan and Stacey obtained an EOS [28] which is given as

$$P = \frac{3K_0 \left(\frac{V}{V_0} \right)^{-4/3}}{(3K'_0 - 5)} \left[\exp \left\{ \frac{(3K'_0 - 5) \left(1 - \frac{V}{V_0} \right)}{3} \right\} - 1 \right] \quad (10)$$

Vinet proposed a new EOS on account of relating binding energy with inter atomic distances known as Vinet EOS [29] which may be expressed as

$$P = 3K_0(1 - X)X^{-2} \exp[\eta(1 - X)] \quad (11)$$

where

$$\eta = \frac{3(K'_0 - 1)}{2} \quad \text{and} \quad X = \left(\frac{V}{V_0} \right)^{1/3}$$

On the basis of Born lattice theory [42] taking the volume derivative of short range force constant, Shanker obtained a equation of state known as Shanker EOS [23, 43] which is

$$P = \frac{\left[K_0 \left(\frac{V}{V_0} \right)^{-4/3} \right]}{t} \left[\left(1 - \frac{1}{t} + \frac{2}{t^2} \right) \{ \exp(ty) - 1 \} + y \left(1 + y - \frac{2}{t} \right) \exp(ty) \right] \quad (12)$$

where

$$y = 1 - \frac{V}{V_0} \quad \text{and} \quad t = \left(K'_0 - \frac{8}{3} \right)$$

The modification in the basic assumption of Kumari et al [33] EOS can be written as

$$P = \frac{K_0}{(K'_0 + \alpha)} \frac{\exp\left\{-\left(K'_0 + \alpha\right)\right\}}{\alpha} \left[\left\{ \left(\frac{V}{V_0} \right)^\alpha - 1 \right\} - 1 \right] \quad (13)$$

or

$$\frac{V}{V_0} = \left[1 - \frac{\alpha}{[K'_0 + \alpha]} \ln \left\{ 1 + \frac{K'_0 + \alpha}{K_0} P \right\} \right]^{1/\alpha} \quad (14)$$

where α , K_0 & K'_0 are adjustable parameters.

By substituting the adjustable parameter $\alpha=1/3$ Freund and Ingalls introduced a new EOS known as Freund & Ingalls EOS [31] given by

$$P = \frac{K_0}{(K'_0 + 1/3)} \frac{\exp\left\{-\left(K'_0 + 1/3\right)\right\}}{1/3} \left[\left\{ \left(\frac{V}{V_0} \right)^{1/3} - 1 \right\} - 1 \right] \quad (15)$$

Further improving the adjustable parameter and putting $\alpha=2/3$ in equation (13) we obtained a new EOS known as Universal EOS [28,34] written as

$$P = \frac{3K_0}{(K'_0 + 2/3)} \frac{\exp\left\{-\left(K'_0 + 2/3\right)\right\}}{2} \left[\left\{ \left(\frac{V}{V_0} \right)^{2/3} - 1 \right\} - 1 \right] \quad (16)$$

Result and discussion:- The pressure have been calculated at different compression ranges (from $V/V_0=1.0$ to 0.1) for twelve different alkali metal halides viz. LiF, LiCl, LiBr, NaF, NaCl, NaBr, KF, KCl, KBr, RbF, RbCl, and RbBr using twelve different isothermal equation of state viz. Murnaghan EOS, Usual –Tait EOS, Vinet EOS, Born Mayer EOS, Birch EOS, Kumar EOS, Shanker EOS, Brennan Stacey EOS, Poirier Tarantola EOS, Universal EOS and Freund Ingalls EOS from equation (3-12, 15 and 16). The calculated values are displayed in table (2 to13). The input values of isothermal bulk modulus (K_0) and its first pressure derivative (K'_0) at zero pressure has been taken from the literature [37] and are displayed in table (1). The logarithmic values of calculated pressure obtained by using different isothermal EOS have been plotted against the logarithmic values of unit cell volume ratio (V/V_0), displayed graphically in figures (1-12).

The result thus obtained shows very interesting pattern i.e. the graph plotted between logarithmic value of pressure vs logarithmic value of unit cell volume ratio (V/V_0) appears to exhibit a linear characteristic [fig. (1 - 12)]. Another remarkable characteristic is observed namely that the variation in value of pressure from compression range $V/V_0 = 1.0$ to 0.5 are minimum but as the compression increases the variation in the values of pressure also increases. From fig. (1-12) it is clear that the pressure (P) vs. unit cell volume ratio (V/V_0) relation for all the twelve alkali metal halides are almost the same with slight

variation upto $V/V_0 = 0.5$ but as the compression increases the variation in pressure gradually increases and after $V/V_0 = 0.3$ it increases abruptly.

When we consider the success of equation of state derived from certain scientists, we have observed that nine EOS show very good agreement with each other except Murnaghan, Brennan-Stacey and Poirier-Tarantola EOS. Murnaghan EOS agreement with other EOS only upto $V/V_0 = 0.7$ and after that it deviates sharply and shows higher pressure values, but Brennan-Stacey EOS and Poirier Tarantola EOS show abrupt deviation. It is observed that one equation of state shows deviation in upward direction, where as other shows a linear type projection. Now the question arises: why both these equations of state show a variation of marked difference?

Brennan-Stacey EOS is based on the assumption that Grüneisen parameter is proportional to volume and equation is obtained on account of free volume formula. The metallic crystals have a packed arrangement, whereas BMGs have random close packing with the existence of free volume. Due to this reason Brennan EOS in case of bulk metallic glasses fails hopelessly.

Poirier-Tarantola proposed an equation of state derived using Hencky logarithmic strain [25] equivalent to the Eulerian strain for small strain and better behaved for large strain. In uniaxial deformations as the instantaneous volume (V) of the body is increased by an infinitesimally small increment dV , the ratio (dV/V) is considered as an increment of the current state of strain

$$dE = (dV/V)$$

When the solid goes from volume V_0 to V the total finite strain or normal strain also called the Hencky measure of strain becomes $E_H = (1/3) \log (V/V_0)$

It has been observed that Hencky strain is as a function of the ratio (V_0/V) and in this way we find that as the compression increases this potential deviates from other potential and successively it shows a pseudo linear characteristic. The conclusion is very interesting and it requires a critical and comprehensive study for further research work.

References

- [1] R.M. Martin, *Nature* 400, 117 (1999).
- [2] J.B. Neaton and N.W. Ashcroft, *Nature* 400, 141 (1999).
- [3] M. Hanfland, K. Syassen, N.E. Christensen, and D.L. Novikov, *Nature* 408, 174 (2000).
- [4] H. T. Hall, L. Merrill, and J. D. Barnett, *Science* 146, 1297 (1964).
- [5] K. Takemura, S. Minomura, and O. Shimomura, *Phys. Rev. Lett.* 49, 1772 (1982).
- [6] U. Schwarz, K. Takemura, M. Hanfland, and K. Syassen, *Phys. Rev. Lett.* 81, 2711 (1998).
- [7] M. Hanfland, U. Schwarz, K. Syassen, and K. Takemura, *Phys. Rev. Lett.* 82, 1197 (1999).
- [8] K. Takemura, O. Shimomura, and H. Fujihisa, *Phys. Rev. Lett.* 66, 2014 (1991).
- [9] K. Takemura, N.E. Christensen, D.L. Novikov, K. Syassen, U. Schwarz, and M. Hanfland, *Phys. Rev. B* 61, 14399 (2000).
- [10] Bridgman P W, *Proc. Am. Acad. Arts Sci.*, 74, 425, (1942).
- [11] Zharkov V.N. and Kalinin V.A., *Equations of state for solids at high pressures and temperatures*, *Consult. Bur. New York* 1971.
- [12] Kut'in A.M., Pyadushkin D.V., *Rus. J. Phys. Chem.* 72, 1567, (1998).

- [13] Kut'in A.M., Pyadushkin D.V. Bykova E.A., *Rus. J. Phys. Chem.* 72. 73, (1998)
- [14] Dorogokupets P.I., *Geochem. Inter.* 40. Suppl. 1. PP. S132–S144.(2002.
- [15] Dorogokupets P.I. and Oganov A.R., *Doklady Earth Sciences*. 410. N. 6. (2006.)
- [16] Dorogokupets P.I. and Oganov A.R., *Phys. Rev. B* (submitted). (2006)
- [17] Gerya T.V., Podlessky K.K., Perchuk L.and, Maresch W.V., *Phys. Chem. Minerals.* 31, 429–455,(2004)
- [18] Hama J and Suito K., *Physics Earth Planet. Interiors.* 125, 147–166, (2001)
- [19] Grüneisen E, *Ann Phys. (Leipzig)*, 39, 257, (1912)
- [20] Murnaghan F D, *Proc. Acad. Science (USA)*, 30, 244, (1944)
- [21] Wein P and Wang R J, *J. Mater. Res.*, 17, 7, (2002)
- [22] Birch F, *J. Geophys. Res*, 83, 1257, (1978)
- [23] Shaker J, Kushwaha S S and Kumar P, *Physica B*, 239, 337, (1997)
- [24] Anderson O L, *J. Geophys. Res.*, 75, 2719, (1970)
- [25] Anderson O L, *Equation of State of Solids for Geophysics and Ceramic Science*, (Oxford Univ. Press, New York), (1995)
- [26] Stacey F D, Brennan B J and Irvine R D, *Geophys. Surv.*, 4, 189, (1981)
- [27] Brennan B J and Stacey F D, *J. Geophys. Res.*, 84, 5535, (1979)
- [28] Vinet P, Smith J R, Ferrante J and Rose J H, *J.Phys C: Solid State Physics*, 19, L467, (1986)
- [29] Vinet P, Smith J R, Ferrante J and Rose J H, *J. Geophys. Res.*, 92, 9319, (1987)
- [30] Roberts R W and Smith C S, *J. Phys. Chem. Solids*, 31, 619, (1970)
- [31] Freund J and Ingalls R, *J. Phys. Chem. Solids*, 50, 263, (1989)
- [32] Grover G, Getting I C and Kennedy G C, *Phys. Rev. B*, 7, 567, (1973)
- [33] Kumari M, Kumar R, Kuchhal P and Dass N, *Ind. J. Pure App. Phys.*, 34, 496, (1996)
- [34] Vinet P, Ferrante J, Smith J R and Rose J H, *J. Phys. Condense Matter*, 1, 1941, (1989)
- [35] Poirier J P and Tarantola A, *Phys. of Earth and Planetary Interiors*, 109, 1, (1998)
- [36] Thomas L M and Shanker J, *Phys. State Sol. (B)*, 181, 387 (1994)
- [37] Chopelas A and Boehler R, *Geophys. Res. Lett.*, 19, 1983, (1992)
- [38] Shanker J, Singh B and Kushwaha S S, *Physica B*, 229, 419, (1997)
- [39] Birch F, *Phys. Rev, J. Geophys. Res*, 57, 227 (1952)
- [40] Birch F, *J. Geophys. Res.*, 91, 4949, (1986)
- [41] Vaschenkov Y A and Zubarev V N, *Sov. Phys. Solid State*, 5, 653, (1963)
- [42] Born M & Huang K, *Dynamical theory of crystal lattice (Clarendon press, oxford)*, (1954)
- [43] Kushwaha S S and Shanker J, *Ind. J. Pure Appl. Phys.*, 37, 194, (1998)

Fig. (1-12): The logarithmic graph between calculated values of pressure (P) against V/V_0 for alkali halides using different equation of state from equations (3-12, 15 and 16)

Fig. 1

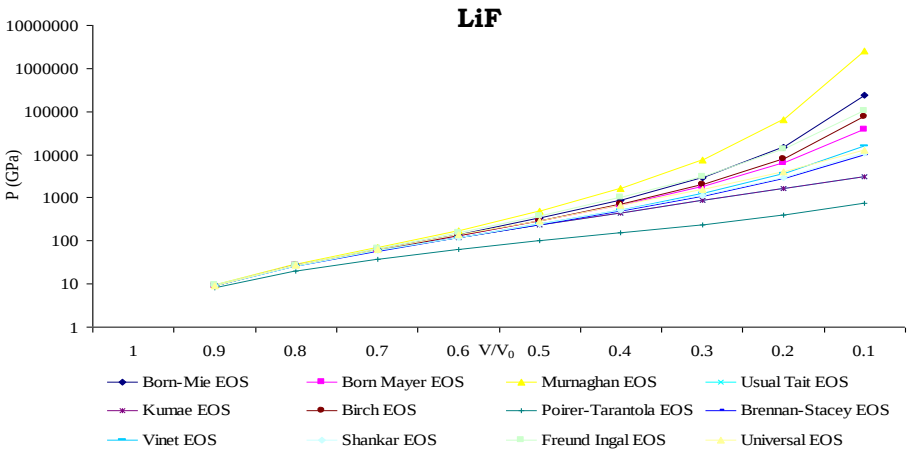


Fig. 2

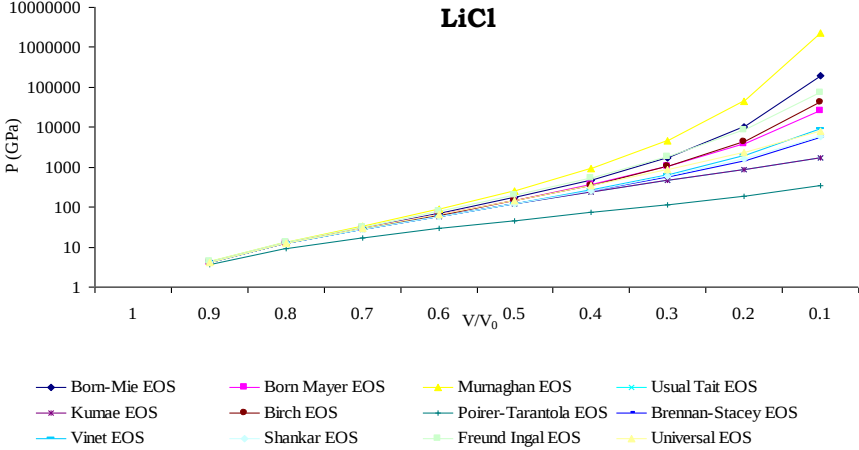


Fig. 3

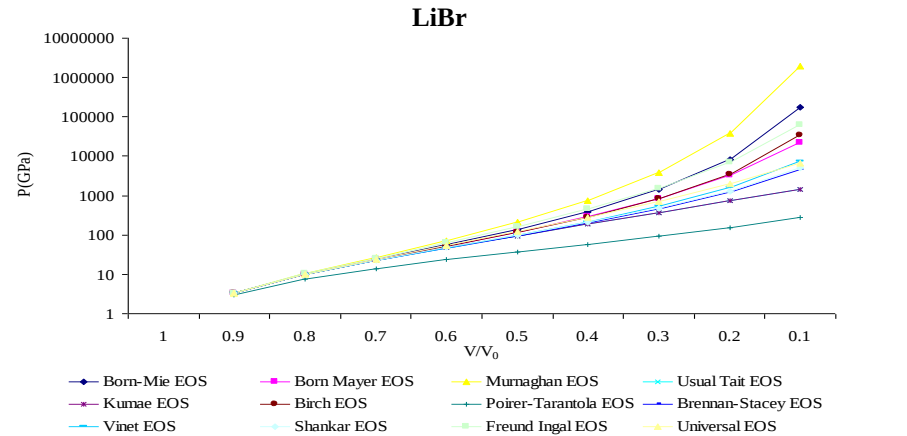


Fig. 4

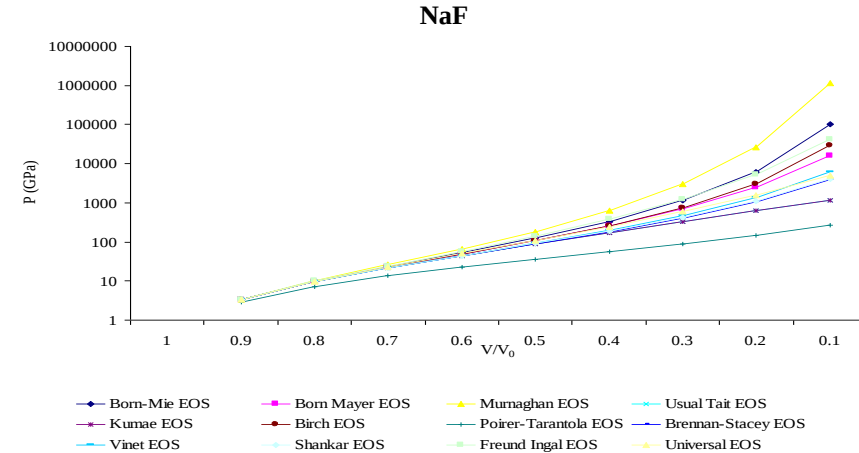
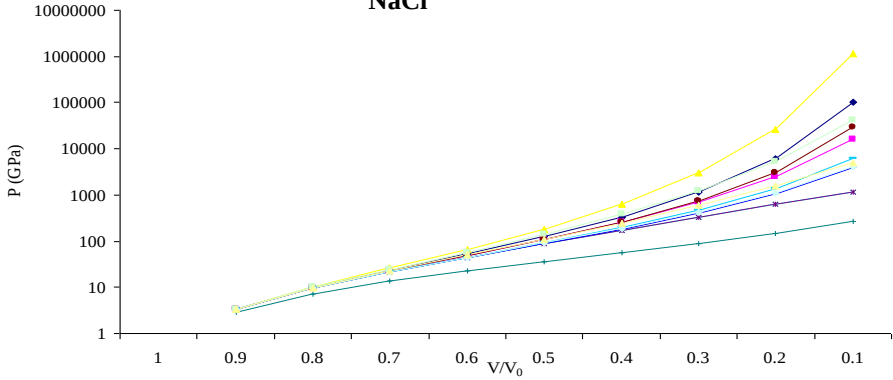


Fig. 5

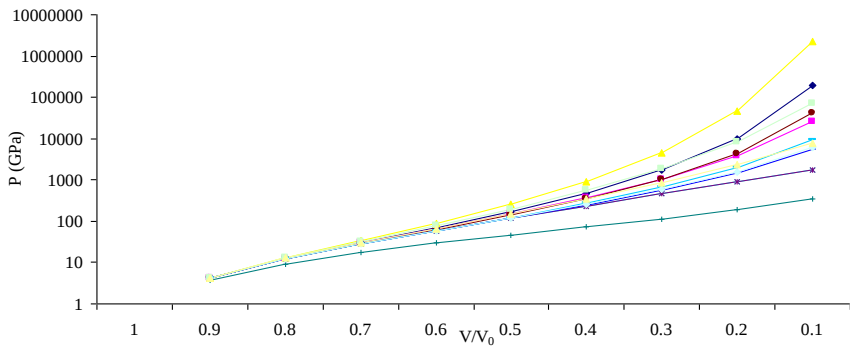
NaCl



- Born-Mie EOS
- Born Mayer EOS
- Mumaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig.6

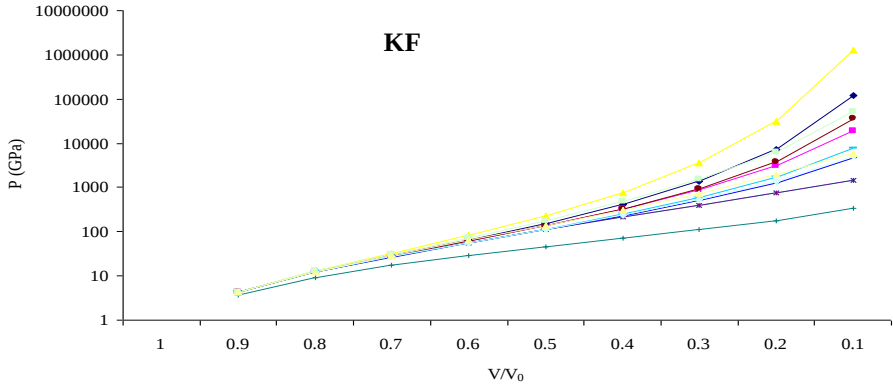
NaBr



- Born-Mie EOS
- Born Mayer EOS
- Mumaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
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- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 7

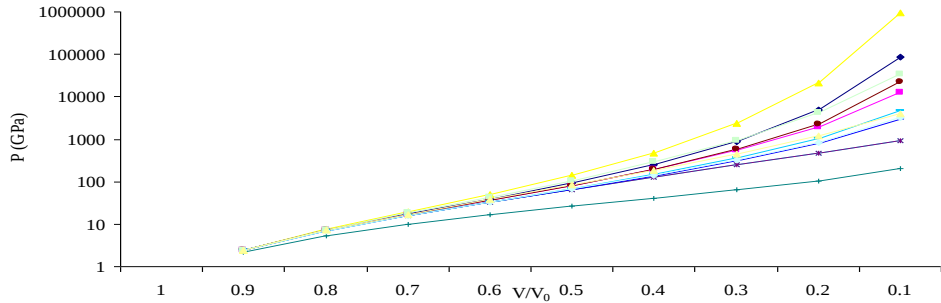
KF



- Born-Mie EOS
- Born Mayer EOS
- Mumaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 8

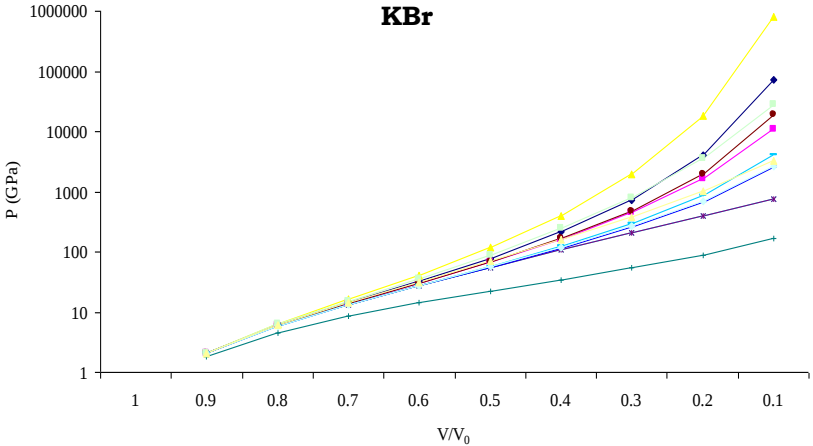
KCl



- Born-Mie EOS
- Born Mayer EOS
- Mumaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 9

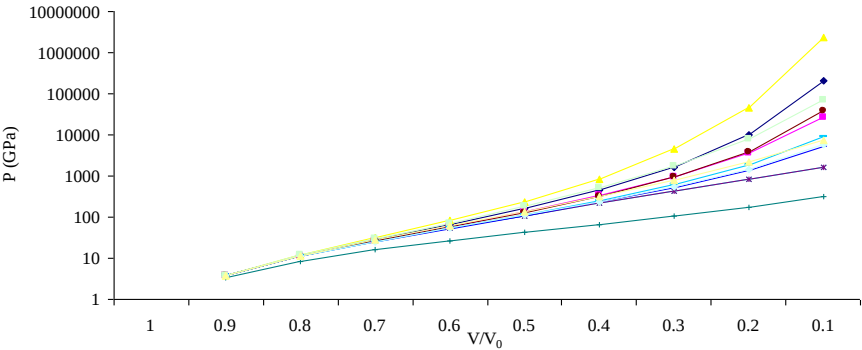
KBr



- Born-Mie EOS
- Born Mayer EOS
- Murnaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 10

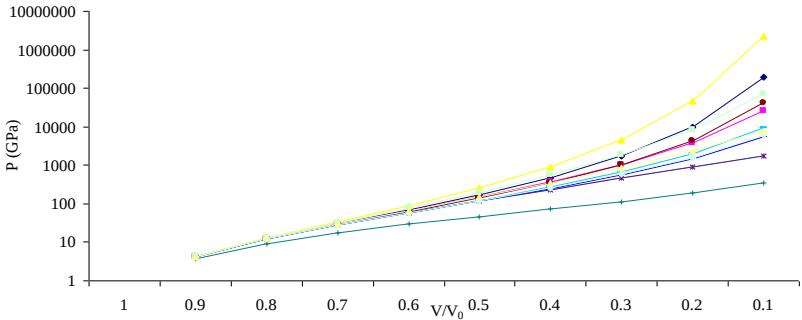
RbF



- Born-Mie EOS
- Born Mayer EOS
- Murnaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 11

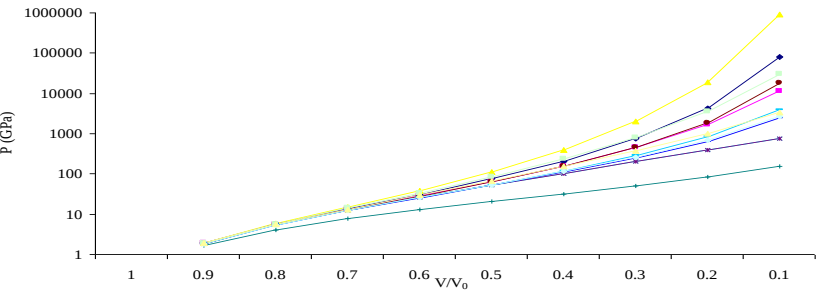
RbCl



- Born-Mie EOS
- Born Mayer EOS
- Murnaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Fig. 12

RbBr



- Born-Mie EOS
- Born Mayer EOS
- Murnaghan EOS
- Usual Tait EOS
- Kumae EOS
- Birch EOS
- Poirer-Tarantola EOS
- Brennan-Stacey EOS
- Vinet EOS
- Shankar EOS
- Freund Ingal EOS
- Universal EOS

Table-1

The input values of isothermal bulk modulus (K_0) & its first pressure derivative (K'_0) at zero pressure [44]

S.No.	Sample	K_0 (GPa)	K'_0
1	LiF	66.51	5.31
2	LiCl	29.68	5.63
3	LiBr	23.52	5.68
4	NaF	46.48	5.28
5	NaCl	23.68	5.41
6	NaBr	19.47	5.43
7	NaI	14.87	5.57
8	KF	30.22	5.36
9	KCl	17.35	5.48
10	KBr	14.64	5.48
11	KI	11.51	5.48
12	RbF	26.68	5.69
13	RbCl	15.58	5.62
14	RbBr	13.24	5.59
15	RbI	10.49	5.6

Table -2

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "LiF"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	9.30	9.27	9.39	9.27	9.27	9.27	8.23	9.23	9.23	9.25	9.35	9.31
0.80	27.21	26.89	28.42	26.68	26.68	26.85	20.32	26.34	26.37	26.51	27.86	27.28
0.70	63.38	61.38	70.63	59.38	59.38	61.28	37.71	58.20	58.51	59.01	66.76	63.00
0.60	141.91	132.35	175.88	120.82	120.82	132.49	62.67	118.70	120.70	121.49	154.89	136.63
0.50	331.98	289.76	483.10	236.23	236.23	293.01	98.93	238.00	247.60	246.25	374.78	295.28
0.40	873.96	679.75	1606.56	453.05	453.05	705.64	153.26	488.32	529.29	511.04	1000.21	657.30
0.30	2882.33	1824.82	7436.04	860.34	860.34	2015.21	239.46	1071.04	1244.27	1133.51	3151.30	1550.68
0.20	14837.81	6314.19	63995.93	1625.45	1625.45	8090.99	391.86	2714.69	3537.06	2902.93	13225.74	4030.50
0.10	235626.46	39068.92	2530459.60	3062.76	3062.76	76966.36	736.10	10015.31	15792.62	10805.66	101864.67	12545.33

Table -3

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "LiCl"

V/V_0	P (Gpa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (Gpa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	4.22	4.21	4.27	4.21	4.21	4.20	3.73	4.19	4.19	4.20	4.25	4.23
0.80	12.63	12.47	13.24	12.37	12.37	12.38	9.30	12.19	12.18	12.27	12.96	12.67
0.70	30.22	29.17	33.96	28.21	28.21	28.74	17.43	27.49	27.55	27.88	31.96	30.04
0.60	70.02	64.81	88.10	58.93	58.93	63.24	29.21	57.36	58.06	58.74	76.82	67.17
0.50	171.21	147.09	255.12	118.51	118.51	142.46	46.43	117.84	121.99	122.02	194.01	150.29
0.40	477.93	360.62	908.32	234.08	234.08	349.78	72.38	248.08	268.00	259.89	545.21	347.86
0.30	1709.74	1023.34	4602.96	458.24	458.24	1019.80	113.75	558.99	650.73	592.35	1829.59	857.43
0.20	9941.04	3809.99	45081.34	893.03	893.03	4188.87	187.17	1457.06	1926.51	1560.34	8322.52	2342.93
0.10	196157.61	26278.57	2225052.90	1736.36	1736.36	40922.9	353.67	5533.00	9114.51	5978.57	71953.36	7745.68

Table -4

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "LiBr"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	3.36	3.35	3.39	3.35	3.35	3.34	2.96	3.33	3.33	3.34	3.38	3.36
0.80	10.07	9.94	10.56	9.87	9.87	9.86	7.40	9.71	9.70	9.78	10.34	10.11
0.70	24.21	23.36	27.24	22.59	22.59	22.95	13.89	21.99	22.03	22.30	25.62	24.07
0.60	56.42	52.15	71.15	47.38	47.38	50.65	23.30	46.05	46.58	47.16	61.94	54.08
0.50	138.95	119.06	207.82	95.73	95.73	114.40	37.09	94.99	98.24	98.37	157.53	121.69
0.40	391.65	294.03	748.21	190.00	190.00	281.67	57.87	200.82	216.78	210.42	446.43	283.47
0.30	1420.02	842.05	3847.99	373.79	373.79	823.67	91.03	454.52	529.14	481.74	1513.60	703.70
0.20	8423.35	3173.02	38487.92	732.15	732.15	3393.95	149.91	1190.22	1576.92	1274.87	6975.90	1938.61
0.10	172212.67	22278.54	1969325.52	1430.85	1430.85	33276.4	283.51	4541.20	7531.10	4908.03	61454.87	6472.19

Table -5

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "NaF"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	6.49	6.47	6.55	6.47	6.47	6.47	5.75	6.44	6.44	6.45	6.53	6.50
0.80	18.96	18.74	19.80	18.59	18.59	18.72	14.17	18.36	18.38	18.48	19.41	19.01
0.70	44.08	42.70	49.10	41.31	41.31	42.67	26.29	40.51	40.73	41.07	46.42	43.82
0.60	98.46	91.88	121.90	83.90	83.90	92.13	43.66	82.48	83.89	84.42	107.43	94.83
0.50	229.63	200.65	333.58	163.72	163.72	203.45	68.88	165.10	171.81	170.81	259.15	204.43
0.40	602.02	469.24	1103.92	313.31	313.31	489.21	106.66	338.13	366.55	353.83	689.07	453.79
0.30	1974.10	1254.75	5076.46	593.68	593.68	1394.75	166.57	740.20	859.69	783.30	2161.23	1067.21
0.20	10074.82	4319.16	43285.16	1119.17	1119.17	5589.24	272.46	1872.40	2436.69	2002.02	9018.23	2763.93
0.10	157525.69	26518.87	1684478.43	2104.06	2104.06	53047.0	511.58	6893.67	10834.3	7436.84	68884.09	8565.87

Table 6

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "NaCl"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	3.33	3.32	3.36	3.32	3.32	3.32	2.94	3.31	3.30	3.31	3.35	3.34
0.80	9.82	9.70	10.26	9.62	9.62	9.67	7.30	9.49	9.50	9.55	10.06	9.84
0.70	23.07	22.32	25.78	21.59	21.59	22.19	13.59	21.12	21.21	21.41	24.33	22.93
0.60	52.24	48.60	65.07	44.31	44.31	48.27	22.64	43.39	44.07	44.42	57.12	50.24
0.50	124.01	107.68	181.92	87.45	87.45	107.45	35.83	87.71	91.12	90.78	140.20	109.84
0.40	332.85	256.31	618.89	169.37	169.37	260.54	55.63	181.51	196.58	190.03	380.65	247.70
0.30	1127.72	700.86	2952.57	324.91	324.91	749.64	87.10	401.70	467.14	425.31	1224.81	592.98
0.20	6044.86	2484.75	26532.49	620.25	620.25	3034.96	142.80	1027.66	1346.10	1099.46	5280.57	1567.21
0.10	103198.16	15939.59	1129853.74	1181.02	1181.02	29157.4	268.80	3827.88	6127.72	4132.08	42272.96	4977.33

Table -7

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "NaBr"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	2.74	2.73	2.77	2.73	2.73	2.73	2.42	2.72	2.72	2.73	2.76	2.74
0.80	8.09	7.99	8.46	7.93	7.93	7.96	6.01	7.82	7.82	7.87	8.29	8.11
0.70	19.04	18.41	21.28	17.81	17.81	18.30	11.20	17.42	17.49	17.66	20.09	18.93
0.60	43.20	40.17	53.85	36.61	36.61	39.84	18.66	35.84	36.39	36.69	47.24	41.53
0.50	102.79	89.18	151.00	72.38	72.38	88.78	29.55	72.54	75.34	75.08	116.24	90.98
0.40	276.81	212.80	515.67	140.41	140.41	215.51	45.89	150.33	162.78	157.39	316.51	205.62
0.30	942.14	583.69	2472.68	269.82	269.82	620.81	71.87	333.19	387.54	352.81	1022.05	493.46
0.20	5084.69	2077.85	22382.25	515.97	515.97	2516.72	117.87	853.75	1119.26	913.48	4426.40	1307.86
0.10	87871.85	13410.83	965082.65	984.20	984.20	24216.2	221.94	3185.26	5111.72	3438.68	35666.14	4167.77

Table -8

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "KF"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	4.24	4.23	4.28	4.22	4.22	4.22	3.75	4.21	4.21	4.21	4.26	4.24
0.80	12.45	12.30	13.01	12.20	12.20	12.27	9.27	12.05	12.05	12.12	12.75	12.48
0.70	29.13	28.20	32.51	27.28	27.28	28.09	17.24	26.71	26.84	27.08	30.71	28.96
0.60	65.61	61.11	81.54	55.75	55.75	60.93	28.70	54.68	55.57	55.98	71.68	63.14
0.50	154.67	134.64	226.03	109.55	109.55	135.22	45.36	110.11	114.47	113.94	174.75	137.27
0.40	411.32	318.26	760.67	211.17	211.17	326.84	70.35	226.93	245.87	237.53	470.58	307.66
0.30	1375.76	862.62	3576.99	403.15	403.15	937.12	110.03	500.06	581.27	529.35	1499.03	731.39
0.20	7233.38	3022.96	31488.29	765.81	765.81	3779.33	180.24	1273.63	1664.17	1362.30	6380.50	1917.70
0.10	119297.41	19060.78	1294335.20	1450.91	1450.91	36142.9	338.95	4722.43	7506.02	5096.47	50146.32	6032.28

Table -9

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "KCl"

V/V_0	P (Gpa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (Gpa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	2.45	2.44	2.47	2.44	2.44	2.44	2.16	2.43	2.43	2.43	2.46	2.45
0.80	7.25	7.16	7.59	7.11	7.11	7.13	5.38	7.01	7.01	7.05	7.43	7.27
0.70	17.14	16.57	19.19	16.03	16.03	16.43	10.03	15.66	15.72	15.88	18.10	17.04
0.60	39.10	36.32	48.86	33.08	33.08	35.88	16.74	32.34	32.81	33.11	42.80	37.57
0.50	93.69	81.08	138.14	65.69	65.69	80.18	26.54	65.70	68.18	68.01	106.01	82.76
0.40	254.63	194.82	476.82	128.02	128.02	195.23	41.26	136.70	147.95	143.15	291.00	188.18
0.30	877.70	539.02	2319.01	247.18	247.18	564.22	64.67	304.27	354.01	322.24	948.98	454.70
0.20	4827.88	1940.92	21419.55	474.97	474.97	2295.51	106.16	783.04	1028.94	838.01	4161.99	1214.59
0.10	86313.14	12741.37	956131.18	910.45	910.45	22180.1	200.07	2934.66	4741.91	3168.88	34146.66	3907.18

Table -10

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "KBr"

V/V_0	P (Gpa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (Gpa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	2.07	2.06	2.09	2.06	2.06	2.06	1.83	2.05	2.05	2.05	2.08	2.07
0.80	6.12	6.04	6.40	5.99	5.99	6.02	4.53	5.91	5.91	5.95	6.27	6.13
0.70	14.45	13.97	16.18	13.51	13.51	13.86	8.46	13.20	13.25	13.39	15.26	14.37
0.60	32.95	30.61	41.17	27.89	27.89	30.25	14.12	27.26	27.66	27.91	36.07	31.67
0.50	78.91	68.31	116.32	55.35	55.35	67.58	22.38	55.37	57.46	57.31	89.29	69.72
0.40	214.31	164.03	401.16	107.82	107.82	164.52	34.79	115.16	124.64	120.59	244.94	158.45
0.30	737.98	453.53	1948.80	208.11	208.11	475.35	54.53	256.24	298.12	271.37	798.12	382.65
0.20	4053.12	1631.59	17971.02	399.74	399.74	1933.39	89.50	659.21	866.06	705.47	3496.84	1021.50
0.10	72265.38	10696.16	799974.58	765.94	765.94	18675.1	168.67	2469.67	3988.40	2666.73	28648.11	3283.54

Table 11

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "RbF"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	3.81	3.80	3.85	3.80	3.80	3.79	3.36	3.78	3.78	3.79	3.83	3.82
0.80	11.45	11.30	12.01	11.21	11.21	11.21	8.41	11.04	11.03	11.11	11.75	11.49
0.70	27.55	26.58	31.01	25.70	25.70	26.10	15.79	25.01	25.05	25.37	29.16	27.39
0.60	64.30	59.41	81.15	53.98	53.98	57.63	26.49	52.43	53.02	53.70	70.61	61.63
0.50	158.70	135.88	237.63	109.20	109.20	130.26	42.17	108.28	111.96	112.14	179.95	138.90
0.40	448.60	336.29	858.28	217.02	217.02	320.99	65.82	229.21	247.37	240.17	511.22	324.15
0.30	1632.83	965.63	4432.90	427.57	427.57	939.41	103.55	519.43	604.72	550.58	1738.41	806.37
0.20	9741.85	3651.40	44607.98	838.71	838.71	3874.31	170.57	1362.02	1805.57	1458.99	8042.39	2226.67
0.10	201219.18	25769.63	2306322.58	1641.52	1641.52	38024.3	322.66	5203.82	8646.55	5624.55	71235.27	7454.95

Table -12

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "RbCl"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	2.22	2.21	2.24	2.21	2.21	2.21	1.95	2.20	2.20	2.20	2.23	2.22
0.80	6.63	6.54	6.94	6.49	6.49	6.50	4.88	6.39	6.39	6.44	6.80	6.65
0.70	15.85	15.30	17.80	14.79	14.79	15.08	9.15	14.42	14.45	14.62	16.76	15.75
0.60	36.70	33.97	46.16	30.89	30.89	33.16	15.32	30.07	30.44	30.79	40.26	35.21
0.50	89.67	77.05	133.57	62.10	62.10	74.69	24.35	61.76	63.94	63.94	101.61	78.73
0.40	250.07	188.78	475.04	122.59	122.59	183.32	37.96	129.96	140.40	136.14	285.30	182.12
0.30	893.47	535.25	2403.86	239.88	239.88	534.34	59.65	292.71	340.74	310.17	956.45	448.58
0.20	5184.95	1990.48	23495.86	467.25	467.25	2194.13	98.15	762.63	1008.14	816.67	4345.27	1224.79
0.10	101961.88	13705.40	1155660.04	908.05	908.05	21427.8	185.45	2894.69	4765.31	3127.72	37499.74	4045.31

Table -13

Calculated values of pressure (P) in GPa as a function of V/V_0 at different compressions using different equation of state from equations (3-12, 15, 16) for "RbBr"

V/V_0	P (GPa) Born-Mie EOS (3)	P (GPa) Born-Mayer EOS (4)	P (GPa) Murnaghan EOS (5)	P (GPa) Usual- Tait EOS (6)	P (GPa) Kumar EOS (7)	P (GPa) Birch EOS (8)	P (GPa) Poirer -Tarantola EOS (9)	P (GPa) Brennan- Stacey EOS (10)	P (GPa) Vinet EOS (11)	P (GPa) Shanker EOS (12)	P (GPa) Freund- Ingalls EOS (15)	P (GPa) Universal EOS (16)
1.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
0.90	1.88	1.88	1.90	1.87	1.87	1.87	1.66	1.87	1.86	1.87	1.89	1.88
0.80	5.61	5.54	5.88	5.50	5.50	5.50	4.14	5.42	5.41	5.45	5.75	5.63
0.70	13.38	12.92	15.02	12.50	12.50	12.75	7.75	12.19	12.22	12.36	14.15	13.30
0.60	30.89	28.62	38.80	26.03	26.03	28.01	12.97	25.36	25.69	25.97	33.87	29.65
0.50	75.16	64.69	111.72	52.19	52.19	62.98	20.60	51.97	53.83	53.81	85.15	66.08
0.40	208.46	157.82	394.79	102.75	102.75	154.33	32.09	109.09	117.91	114.28	237.92	152.30
0.30	739.05	445.12	1980.84	200.48	200.48	449.05	50.41	245.09	285.29	259.68	792.91	373.59
0.20	4239.78	1643.88	19127.79	389.37	389.37	1840.41	82.90	636.88	840.87	681.92	3575.14	1015.25
0.10	81687.92	11203.42	921456.97	754.48	754.48	17934.4	156.54	2410.77	3953.12	2604.50	30520.89	3334.32