



## Reasons for Adolescent's Social Network addiction and its impact on Academics -An Analysis using Induced Linked Fuzzy Relational Mapping Using Hexagonal Fuzzy number

Nivetha Martin<sup>1</sup> and P.Pandiammal<sup>2</sup><sup>1</sup>Department of Mathematics, Arul Anandar College (Autonomous), Karumathur.<sup>2</sup>Department of Mathematics, GTN Arts College, Dindigul.

### ARTICLE INFO

#### Article history:

Received: 4 July 2016;

Received in revised form:

27 July 2016;

Accepted: 1 August 2016;

#### Keywords

Social networks,  
Adolescent,  
Hexagonal fuzzy number,  
Fuzzy relational  
mapping.

### ABSTRACT

Educational Institution is a home away from home and it is a place of knowledge acquisition. It aims in developing the adolescents to fulfill the requirements of the needs of the society. It strives hard in implementing new tactics to enhance the academics, but it still fails in achieving it due to many reasons one among is, addiction to social networks. As we are living in techno world, we are bound to be a member of social networks (SN) and the adolescents are not an exception to it. In this present scenario we are highly dominated by our inventions and the best example is social networks. Though it is featured with many beneficial attributes its impact on adolescent's academics is worse which indeed troubles the parents and bring them to a conclusion that social networks has connection with adolescent's academic performance which is considered significant by the educational institution. To find the attribute which cause a strong impact on adolescent's academic performance, induced linked fuzzy relational mapping using hexagonal fuzzy number approach is used which is a novel method.

© 2016 Elixir All rights reserved.

### Introduction

A Social network is defined to be a social structure consisting of many elements such as individual or an organization as a whole embedded with mutual interactions and relations. To mention a few SN in trend is Facebook, Twitter, Spring.me, Identi.ca and so on. The integration of SN in our daily lives has brought culture, social and behavioural effects especially among the adolescents. It has now been emerged as a serious discussion amidst the educational experts about the ways of handling the profound influence of SN which engender new patterns of expression, communication and motivation. On an argument in favour of SN everyone will state that it is an innovative and manipulative force, but this force decelerates and scatters the concentration of the adolescents who accounts to 82% of the users of SN. This indeed picturizes the extent of their dependency on SN and it has now finally ended up in addiction.

Presently in this Net-generation charging only the adolescent is unfair and unjust. The parents aim and feel pride of their children being in media rich environment and gets enthralled by their mastery over SN. This can't be termed as the sole reason but it also adds to their addiction. Academic Performance is very important for an adolescent as it decides his future and scope. Many factors contribute to the adolescent's deviation but SN ranks first. To analyze the reasons for it, induced linked Fuzzy Relation Mapping is used with hexagonal fuzzy number.

The concept of Fuzzy Relational Maps was first introduced by Vasanth.W.B and Yasmin.S to study employer and employee relation. It was extended to Linked Fuzzy Relational Maps by Vasanth.W.B and Pathinathan.T to analyze the causes of school dropouts due to migration of parents.

This was again extended further to Induced Linked Fuzzy Relational maps by Pathinathan. T . In all these works the weightage of one factor over the other is represented by either 0 or 1. But in this paper the weightage is assigned by linguistic variable and it is quantified by hexagonal fuzzy number. This new approach is made to be more precise than just assigning 1 or 0.

This paper aims in formulating solutions for the problems of SN addiction of adolescents so as to pave way for their enhancement of academic standards. The paper is organized as follows: Section 2 consists of basic definitions; section 3 describes the methodology; section 4 analyzes the reasons for SN addiction and section 5 concludes the work

### 2. Basic Definitions

#### 2.1 Fuzzy Relational Maps (FRM)

A FRM is a map like structure enclosing the causal relationships between the real vector space elements of domain of dimension  $n$  and range of dimension  $m$ . The nodes of the domain space is denoted by  $D_1, D_2, \dots, D_n$  where  $D_i = \{ (x_1, x_2, \dots, x_n) / x_i = 0 \text{ or } 1, i = 1, \dots, n \}$ . If  $x_i = 1$  or 0 then it implies  $D_i$  is in ON or OFF state respectively. The nodes of the range space is denoted by  $R_1, R_2, \dots, R_m$  where  $R_j = \{ (x_1, x_2, \dots, x_m) / x_j = 0 \text{ or } 1, i = 1, \dots, m \}$ . If  $x_j = 1$  or 0 then it implies  $R_j$  is in ON or OFF state respectively.

#### 2.2 Relational Matrix of FRM

The matrix  $M = (m_{ij})$  is called as the relational matrix of the FRM, where  $m_{ij}$  is the weight associated with the directed edge  $D_i R_j$  or  $R_j D_i$ .

#### 2.3 Hidden Pattern

Let  $D_1, D_2, \dots, D_n (R_1, R_2, \dots, R_m)$  be a cycle when is switched on  $D_i (R_j)$  and if the causality flows through the edges of a cycle and if it again causes  $D_i (R_j)$ , We say that the dynamical system goes round and round.

This is true for any node  $D_i (R_j)$  for  $i = 1, 2, \dots, n$ . The equilibrium state for this dynamical system is called the hidden pattern.

**2.4 A Fixed Point attractor of FCM**

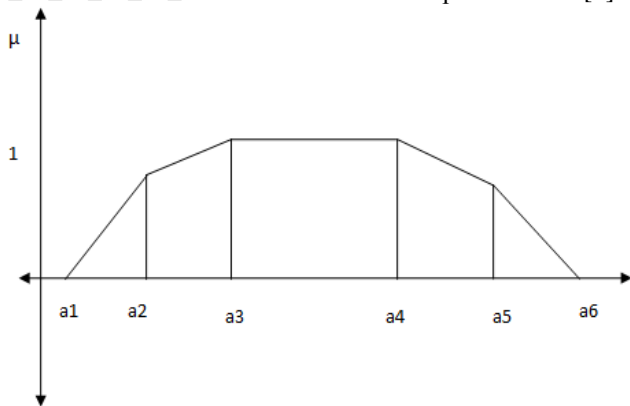
If the equilibrium state of a dynamical system is a unique state vector, then it is called a fixed point. Consider a FRM with  $D_1, D_2, \dots, D_n (R_1, R_2, \dots, R_m)$  as nodes. For example, let us start the dynamical system by switching on  $D_i (R_j)$ . Let us assume that the FRM settles down with  $D_1 (R_1)$  and  $D_n (R_m)$  on, i.e. the state vector remains as  $(1, 0, 0, \dots, 0, 1)$ . This state vector  $(1, 0, 0, \dots, 0, 1)$  is called the fixed point.

**2.5 Limit Cycle**

If the equilibrium state of the dynamical system is a unique state vector, then it is called a fixed point

**2.6 Hexagonal fuzzy number**

A hexagonal fuzzy number is specified by 6 – tuples,  $AH = (a_1, a_2, a_3, a_4, a_5, a_6)$  such that all  $a_i$ 's are real numbers and  $a_1 \leq a_2 \leq a_3 \leq a_4 \leq a_5 \leq a_6$  where the membership function is [1]



$$\mu(\tilde{A}x) = \begin{cases} \frac{1}{2} \frac{x-a_1}{a_2-a_1} & \text{for } a_1 \leq x \leq a_2 \\ \frac{1}{2} + \frac{1}{2} \frac{x-a_2}{a_3-a_2} & \text{for } a_2 \leq x \leq a_3 \\ 1 & \text{for } a_3 \leq x \leq a_4 \\ 1 - \frac{1}{2} \frac{x-a_4}{a_5-a_4} & \text{for } a_4 \leq x \leq a_5 \\ \frac{1}{2} \frac{a_5-x}{a_6-a_5} & \text{for } a_5 \leq x \leq a_6 \\ 0 & \text{otherwise} \end{cases}$$

**3. Method of finding the hidden pattern in Induced Linked Fuzzy Relational Maps using Hexagonal fuzzy number**

The steps followed in this method are same as that of the Induced linked Relational Maps. The difference lies in step 6

1. Consider  $D_1, D_2, \dots, D_n$  and  $R_1, R_2, \dots, R_m$ , the concepts be the nodes of FCM with the responses of the experts
2. Form the relational matrix M with linguistic variables.
3. Keep  $D_1$  in ON state and all other components in OFF state.
4. Pass  $C_1$  through M and find  $C_1'$ ,
5. Convert into Signal Function by choosing the first two highest value to ON state and other values to OFF state with 1 and 0 respectively
6. Pass each component of  $C_1'$  through M repeatedly and choose the first vector as  $C_2$  containing maximum number of

1's after applying threshold function that is assign 1 for the values greater than 1 and 0 for others.

7. Repeat the same procedure for  $C_2$  until we get a fixed point or a limit cycle

8. Find the hidden pattern in the similar way by keeping the second component in ON state.

**4. Analysis using Induced Linked Fuzzy Relation Map Model**

The following attributes of the SN are represented as nodes are as follows:

- HSN1: Highly interesting and fascinating
- HSN2: Enhances the social status
- HSN3: Rapid acquisition and Transform of information
- HSN4: Enable to live a virtual life by creating groups
- HSN5: Boosts the rate of communication and interactiveness

The following attributes of parents are represented as nodes are as follows:

- HP1: inability to control their children's usage of SN
- HP2: feeling proud of their excellence in SN usage
- HP3: Encouraging the replacement of playing games by SN
- HP4: Relaxes by making their children to be busy with their works which make them to engage in SN

HP5: Rendering excess of freedom and joining hands with them

The following attributes of Adolescents are represented as nodes are as follows:

- HA1: They wish to raise themselves high among their peer group
- HA2: They want their views to be expressed to others
- HA3: They are crazy about delightful things
- HA4: They desired to do adventurous acts
- HA5: They are interested to act independently

The linguistic values of the Hexagonal Fuzzy number are

Very Low	(0,0.5,0.1,0.15,0.2,0.25)
Low	(0.15,0.2,0.25,0.3,0.35,0.4)
Medium	(0.3,0.35,0.4,0.45,0.5,0.55)
High	(0.45,0.5,0.55,0.6,0.65,0.7)
Very High	(0.65,0.7,0.75,0.8,0.9,1)

The relational matrix between the domain (Media) attributes and the range (Parents) attributes are represented as

$$SNP = \begin{pmatrix} & HP1 & HP2 & HP3 & HP4 & HP5 \\ HSN1 & VL & L & VL & L & M \\ HSN2 & VL & H & H & VL & H \\ HSN3 & VL & L & VL & L & VL \\ HSN4 & L & VH & M & M & M \\ HSN5 & VL & VL & L & H & H \end{pmatrix}$$

$$Hsum (SNP) = \begin{pmatrix} & HP1 & HP2 & HP3 & HP4 & HP5 \\ HSN1 & 0.2 & 0.275 & 0.2 & 0.275 & 0.425 \\ HSN2 & 0.2 & 0.575 & 0.575 & 0.2 & 0.575 \\ HSN3 & 0.2 & 0.275 & 0.2 & 0.275 & 0.2 \\ HSN4 & 0.275 & 0.8 & 0.425 & 0.425 & 0.425 \\ HSN5 & 0.2 & 0.2 & 0.275 & 0.575 & 0.575 \end{pmatrix}$$

The relational matrix between the domain (Parents) attributes and the range (Adolescents) attributes are represented as

$$PA = \begin{pmatrix} & HA1 & HA2 & HA3 & HA4 & HA5 \\ HP1 & L & L & M & M & H \\ HP2 & H & H & H & H & VH \\ HP3 & H & H & H & H & H \\ HP4 & H & M & H & VH & M \\ HP5 & H & H & VH & VH & VH \end{pmatrix}$$

$$Hsum (PA) = \begin{pmatrix} & HA1 & HA2 & HA3 & HA4 & HA5 \\ HP1 & 0.275 & 0.275 & 0.425 & 0.425 & 0.575 \\ HP2 & 0.575 & 0.575 & 0.575 & 0.575 & 0.8 \\ HP3 & 0.575 & 0.575 & 0.575 & 0.575 & 0.575 \\ HP4 & 0.575 & 0.425 & 0.575 & 0.8 & 0.425 \\ HP5 & 0.575 & 0.575 & 0.8 & 0.8 & 0.8 \end{pmatrix}$$

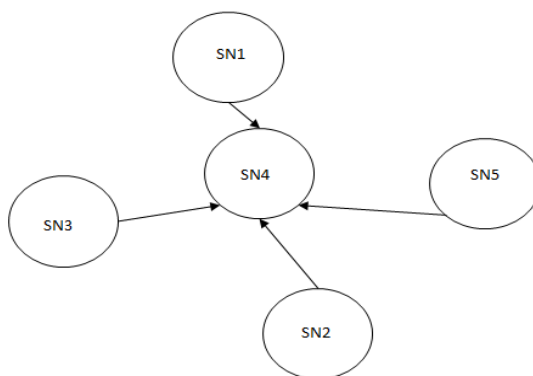
The connection matrix relating media and adolescent is represented as M as follows

$$M = \begin{pmatrix} 0.73 & 0.69 & 0.86 & 0.92 & 0.91 \\ 1.16 & 1.13 & 1.32 & 1.37 & 1.45 \\ 0.6 & 0.56 & 0.68 & 0.74 & 0.73 \\ 1.27 & 1.21 & 1.41 & 1.5 & 1.56 \\ 0.99 & 0.90 & 1.15 & 1.28 & 1.13 \end{pmatrix}$$

Step 1 Let  $C1 = (10000)$   
 $C1M = (0.73 \ 0.69 \ 0.86 \ 0.92 \ 0.91)$   
 $(0.73 \ 0.69 \ 0.86 \ 0.92 \ 0.91)M^T = (3.42 \ 5.34 \ 2.75 \ 5.77 \ 4.53) \approx (1 \ 1 \ 1 \ 1) = C1'$   
 $C1'M = (10000)M = (0.73 \ 0.69 \ 0.86 \ 0.92 \ 0.91)$   
 $(0.73 \ 0.69 \ 0.86 \ 0.92 \ 0.91)M^T = (3.42 \ 5.34 \ 2.75 \ 5.77 \ 4.53) \approx (1 \ 1 \ 1 \ 1) = C2$   
 $C1'M = (01000)M = (1.16 \ 1.13 \ 1.32 \ 1.37 \ 1.45)$   
 $(1.16 \ 1.13 \ 1.32 \ 1.37 \ 1.45)M^T = (5.34 \ 8.34 \ 4.29 \ 9.01 \ 7.07) \approx (1 \ 1 \ 1 \ 1)$   
 $C1'M = (00100)M = (0.6 \ 0.56 \ 0.68 \ 0.74 \ 0.73)$   
 $(0.6 \ 0.56 \ 0.68 \ 0.74 \ 0.73)M^T = (2.75 \ 4.29 \ 2.21 \ 4.64 \ 3.65) \approx (1 \ 1 \ 1 \ 1)$   
 $C1'M = (00010)M = (1.27 \ 1.21 \ 1.41 \ 1.5 \ 1.56)$   
 $(1.27 \ 1.21 \ 1.41 \ 1.5 \ 1.56)M^T = (5.7 \ 9.01 \ 4.64 \ 9.74 \ 7.65) \approx (1 \ 1 \ 1 \ 1)$   
 $C1'M = (00001)M = (0.99 \ 0.9 \ 1.15 \ 1.28 \ 1.13)$   
 $(0.99 \ 0.9 \ 1.15 \ 1.28 \ 1.13)M^T = (4.53 \ 7.07 \ 3.65 \ 7.65 \ 6.02) \approx (1 \ 1 \ 1 \ 1)$   
 $C2M = (11111)M = (4.75 \ 4.49 \ 5.42 \ 5.82 \ 5.78)$   
 $(4.75 \ 4.49 \ 5.42 \ 5.82 \ 5.78)M^T \approx (1 \ 1 \ 1 \ 1) = C2'$   
 Proceeding in the similar manner we get  $C3 = (11111)$   
 $(0.73 \ 0.69 \ 0.86 \ 0.92 \ 0.91)$ , (11111) is the fixed point.  
 By keeping other states in ON position we get the following results

On position of Attribute	Triggering pattern
SN1	SN1 → SN4
SN2	SN2 → SN4
SN3	SN3 → SN4
SN4	SN4 → SN4
SN5	SN5 → SN4

The graphical representation of the attributes is as follows



The interrelationship between the attributes of the social networks reveals that HSN4 (enabling to live a virtual life by creating groups) is the terminal node. The limit point corresponding to HSN4(0.73 0.69 0.86 0.92 0.91) , (11111) highlights the attributes HSN1, HSN2, HSN3, HSN4, HSN5 and HA1, HA2, HA3, HA4,HA5 which together affects the adolescent’s academic performance.

**Conclusion**

It is very vivid that the academic performance of the adolescent’s is highly influenced by the social networks. To put it under control the parents must play an active role. We suggest the following remedial actions to be followed at homes which are as follows

- Spending time with them, sharing the day today happenings
- Explicating the limit and the need of SN
- Permitting them to play with their peer group
- Building up of friendly relationships

By practicing such things the adolescent will create a gap between them and SN.

**References**

[1]Vasantha. W.B., Pathinathan. T., ”Linked Fuzzy RelationalMaps to study the relation between migration and school dropouts in Tamilnadu., Ultra.Sci 17, 3Dec., pp441-465., 2005

[2] Vasantha.W.B.,Pathinathan.T and John M.Mary, “ School environment: A cause for increase in School Dropouts – Fuzzy Analysis.” Proc. Of the state level seminar on Industrial Mathematics.pp 127-136, Nov 2005

[3] Vasantha.W.B and Yasmin.S. “ FRM to analyse the Employee-Employer Relationship”, Journal of Bihar mathematical Society, Vol.21,pp 25 -34, 2001

[4] Carvalho, J.A. Tomé, Fuzzy mechanisms for qualitative causal relations, in: R. Seising (Ed.), Views on Fuzzy Sets and Systems from Different Perspectives. Philosophy and Logic, Criticisms and Applications. (Studies in Fuzziness and Soft Computing), Springer, 2009Chapter 19.

[5] Carvalho, J.A. Tomé, Qualitative optimization of fuzzy causal rule bases using fuzzy boolean nets, Fuzzy Sets Syst. 158 (17) (2007) 1931 –1946.

[6] Carvalho, J.A. Tomé, Rule based fuzzy cognitive maps— expressing time in qualitative system dynamics, in: Proceedings of the 2001 FUZZ-IEEE, Melbourne, Australia, 2001.

[7] Carvalho, J.A. Tomé, Rule based fuzzy cognitive maps— qualitative systems dynamics, in: Proceedings of the 19th International Conference of the North American Fuzzy Information Processing Society, NAFIPS2000, Atlanta, 2000, pp. 407–411.

[8] Carvalho, J.A. Tomé, Using interpolated linguistic term to express uncertainty in rule based fuzzy cognitive maps, in:

Proceedings of the 22nd International Conference of the North American Fuzzy Information Processing Society, NAFIPS2003, Chicago, 2003, pp. 93–98.

[9] Carvalho, L. Wise, A. Murta, M. Mesquita, Issues on dynamic cognitive map modelling of purse-seine fishing skippers behavior, in: Proceedings of the WCCI2008—2008 IEEE World Congress on Computational Intelligence, Hong Kong, 2008, pp. 1503–1510.

[10] Cox, et al., Modern adaptive control with neural networks, in: Proceedings of the ICONIP—International Conference on Neural Networks Information Processing, Hong Kong, 1996.

[11] BROWN, G., BULL, J. & PENDLEBURY, M. (1997) *Assessing Student Learning in Higher Education*, London: Routledge.

[12] BROWN, S. & GLASNER, A. (1999) *Assessment Matters in Higher Education*, Buckingham: Open University Press.

[13] BROWN, S. & KNIGHT, P. (1994) *Assessing Learners in Higher Education*, London: Kogan Page.88 Brown 89 *Assessment for Learning*

[14] BROWN, S. RACE, P. & BULL, J. (1999) *Computer Assisted Learning in Higher Education*, London: Kogan Page.

BROWN, S., RACE, P. & SMITH, B. (1996) *500 Tips on Assessment*, London: Kogan Page.

[15] BROWN, S. RUST, C. & GIBBS, G. (1994) *Strategies for Diversifying Assessment*, Oxford: Oxford Centre for Staff Development. BROWN, S. & SMITH, B. (1997) *Getting to Grips with Assessment*,

[16] Birmingham: SEDA Publications. ERWIN, T.D. (1991) *Assessing Student Learning and Development*, California: Jossey-Bass. GIBBS, G. (1998) *Teaching in Higher Education: theory and evidence*.